# Denguenator

Predicting Dengue outbreaks using Human Mobility and Climatic factors

### Content

Introduction

Background

Data set

Preprocessing

Mapping different geographical areas

Time expanded contact networks

Hidden Markov Model

Motopopulation Model

### Introduction

- Dengue is a major health concern in Sri Lanka, which causes about 30,000 cases and 200 deaths annually[1].
- Many countermeasures have been taken, but still is not possible to reduce to a significant level.
- The aim of this project is to build a predictive model of Dengue propagation in Sri Lanka based on human mobility and other climatic factors.

## **Background**

Researches show that there is high probability of causing Dengue outbreaks with horizontal propagation[2]

Human mobility is an important factor

### **Data Set**

- Call Detail Records
- Population Data
- Meteorological Data
  - Rainfall Data
  - Temperature Data
- Past Dengue Cases



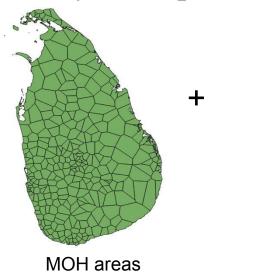


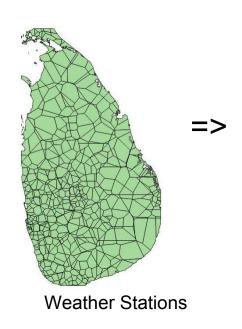


## **Pre processing**

Data we have corresponds to different geographical areas...

HOW to map them together???

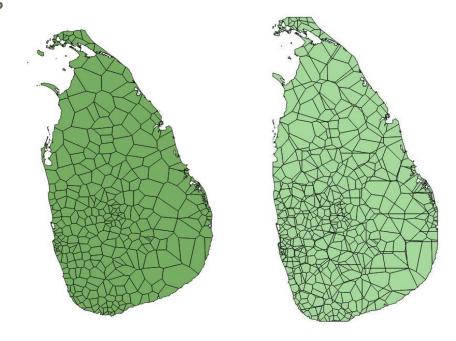






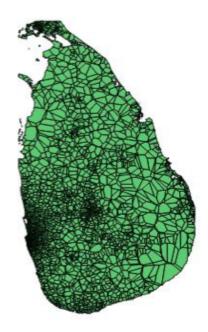
## Mapping different geographical areas

Creating Voronoi diagrams



## Mapping different geographical areas

- Creating Voronoi diagrams
- Overlapping each other



MOH areas and cell towers overlapping map

## Mapping different geographical areas

- Creating Voronoi diagrams
- Overlapping each other



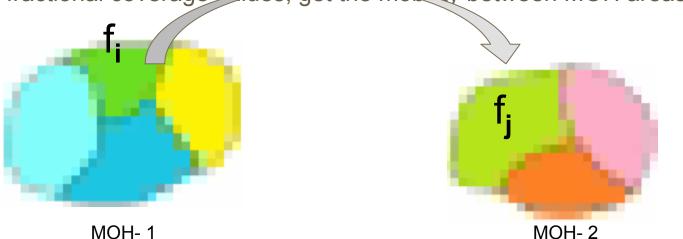
- Assign each unit (towers or weather stations) to MOH level
- Calculate MOH level values

## **Mobility in MOH level**

Get the list of the cell towers corresponding to a certain MOH area

Keep the fractional coverages of each of them

Using this fractional coverage values, get the mobility between MOH areas.



## **Mobility to MOH level**

$$m_1m_2=\sum_{i=1}^n f_{ij}\circ f_{ij}\circ f_{ij}\circ Mability between torse  $j$  and  $k$$$

### **Weather to MOH**

#### Filling missing data

Rainfall data

Discarded weather stations which are missing more t

Inverse Distance Weighting (IDW) method[3]



### **Weather to MOH**

#### Filling missing data

Temperature data

Discarded one weather station

Filled the missing values by the average temperature

### Weather to MOH

Aggregating to weeks

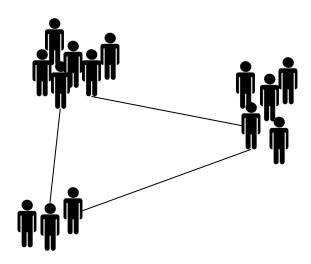
Getting weather stations corresponding to a MOH

Getting fractional coverages

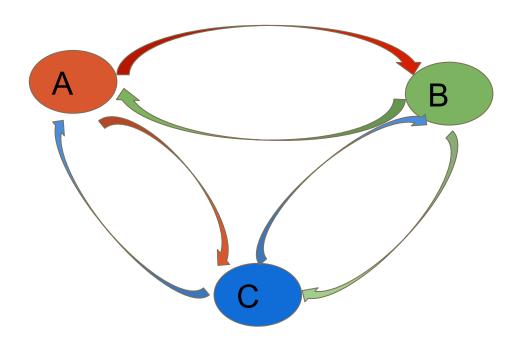


## **Methods to Predict Dengue Propagation**

- 1. Time-expanded contact network
- 2. Metapopulation model

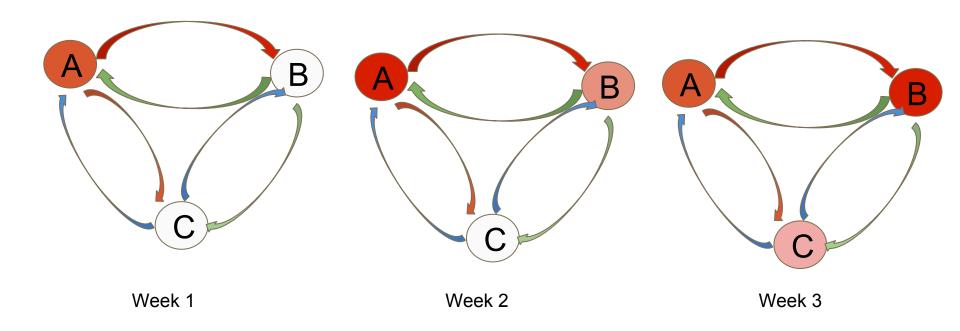


## Time-expanded contact network



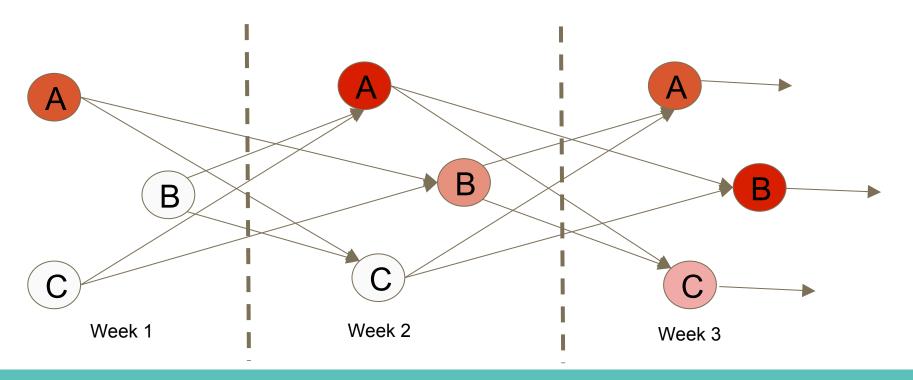
## Time-expanded contact network

Consider three weeks:



## Time-expanded contact network

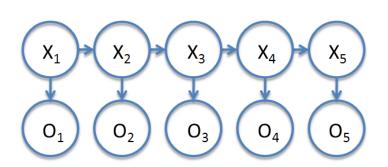
How to get connections between weeks:

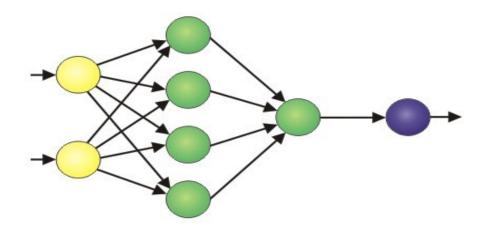


## Time-expanded contact network - implementation

Hidden Markov Models

**Artificial Neural Networks** 

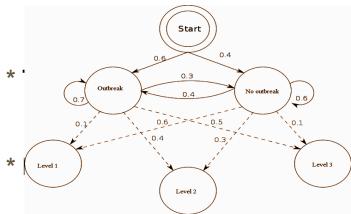




**How HMM** is suitable for this problem?

There is a hidden state - Next week's dengue state

There are related observation - \* This week's dengue states



#### **Two Approaches:**

Separate HMM for each neighbor

Single HMM for all the neighbors

- Existing algorithms do not support for multiple emission sequences for a single hidden sequence

- Thousands of observation states for a single

hidden state that makes predictions unreliable

#### How to define neighbors:

- get all the inflow mobility values from all the MOH areas to considering MOH area
- get mobility per host for all the MOH areas by dividing the above values by the populations of MOHs
- get the average mobility per infected host by multiplying the above value by average dengue cases of MOHs
- mean of all the average mobility per infected host values is considered as the threshold value (eg: For Moratuwa MOH, threshold value is 0.375)

#### How to define states:

- Using discrete values

#### How to define discrete values:

Using intervals

#### How to define intervals:

- Observed the data set to define the size of the intervals based on the weekly reported dengue cases (identified as 1 10)
- Used automated brute force approach to select the best value which gives the minimum RMSE value for predictions (identified as 4 for most cases)
- eg: 0-3 => 1, 4-7 => 2, 8-11 => 3...... for value 6 state should be 2

#### MatLab - HMM toolbox is used

Hidden states sequence - start from week 2

Emission sequence (Mobility per infected host of neighbours, rainfall of candidate MOH, previous week dengue level of candidate MOH) - start from week 1

Separate sequence for each neighbour

Estimate the state transition matrix and observation emission matrix that can be considered as the model training step

#### How to get predictions:

- Using Viterbi algorithm
- The Viterbi algorithm is a dynamic programming algorithm for finding the most likely sequence of hidden states
- Give hidden state for a given observation, using observation emission matrix and state transition matrix

eg : Next week's dengue level of Moratuwa =

HMM\_Viterbi (This week's dengue level, matrix\_1, matrix\_2)

#### How to merge predictions:

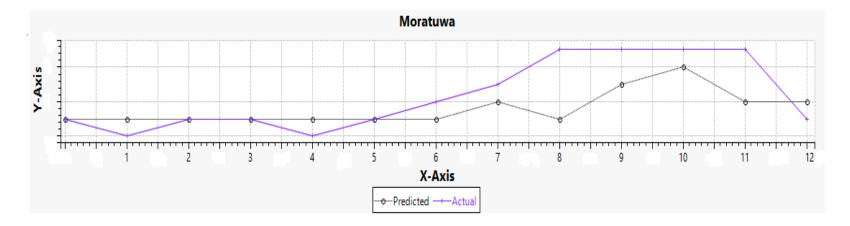
- get predictions for this week using previous week's data
- get error using actual value and prediction (error = actual value prediction)

 $- (1.4 \times 4 \times 1.1 \times 0.1 \times 0.1 \times 1.1 \times 0.1 \times 0.1 \times 1.1 \times 0.1 \times 0.1$ 

- define a weight function (w = 1/error)
- get weight functions for each neighbor (w1, w2....., wn)
- get predictions for next week from each neighbor (p1, p2....., pn)
- get final prediction (p)

#### **Results for Moratuwa MOH area:**

- 70% of data for training, 30% of data for testing
- Root mean square error = 5.65685



#### Many limitations.....

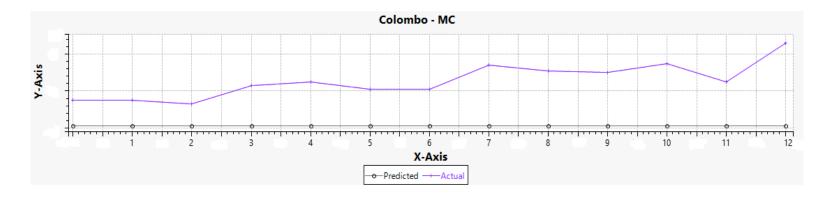
Merging results from many models

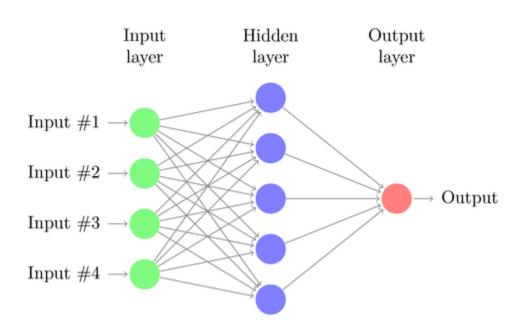
Cannot get prediction for a mobility per infected host state which is greater than the maximum state in train sequence

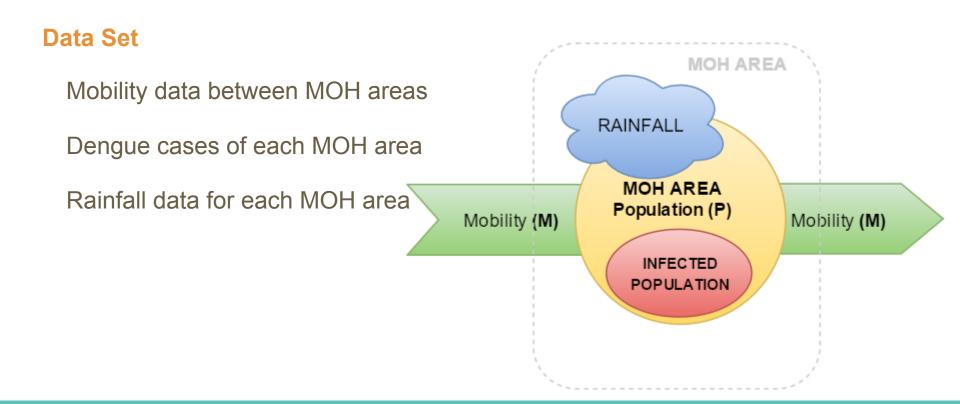
Limited set of training data

Model is specifically tuned to observe mobility, therefore cannot get predictions for dengue hotspots like Colombo - MC

- Dengue level of Colombo MC is comparatively very high than the neighbors
- Assume neighbors does not affect for the dengue propagation in Colombo MC







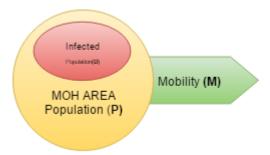
#### **Data preprocessing**

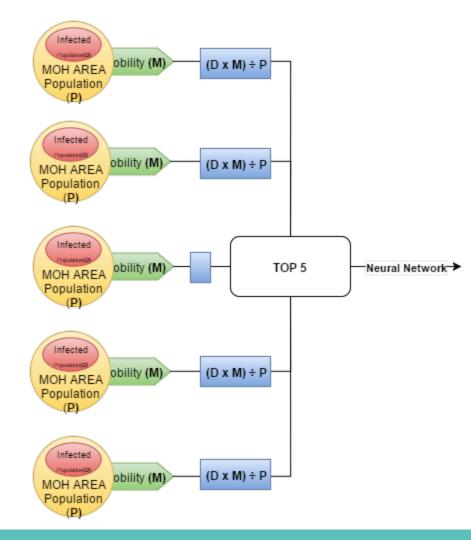
Define the top **MOHs** with the highest average mobility per infected host of considering **MOH** 

- A Average dengue cases of the considering MOH
- M Mobility with the candidate MOH
- P Population of the considering MOH

Average mobility per infected host of considering MOH = (M\*A)/P

#### One MOH Division





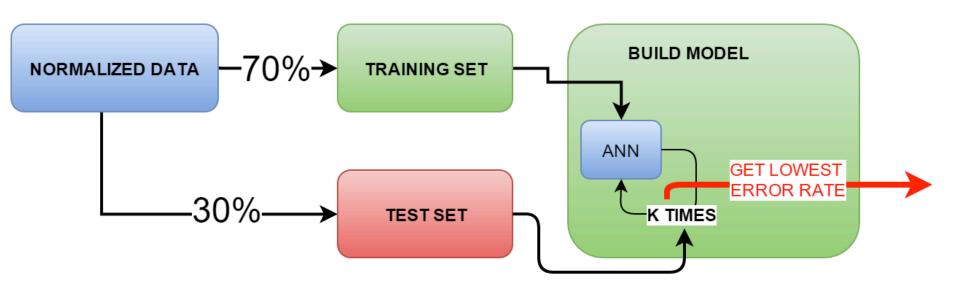
Week Number	MOH1	MOH2	монз	MOH4	MOH5	Last Week Rainfall	Last Week Dengue Cases	This Week Dengue Cases
1	23	12	43	3	54	10	21	78
2	32	22	51	21	32	22	12	22
3	11	12	32	32	12	13	32	22

#### **Data preprocessing**

#### **Data normalization**

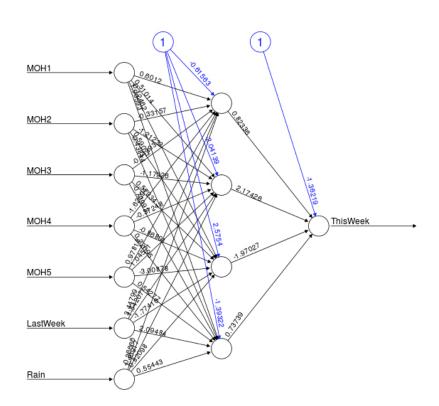
In Order to get convergent results the data set was normalized using the following method

Normalized Values = (Value - Min)/(Max-Min)



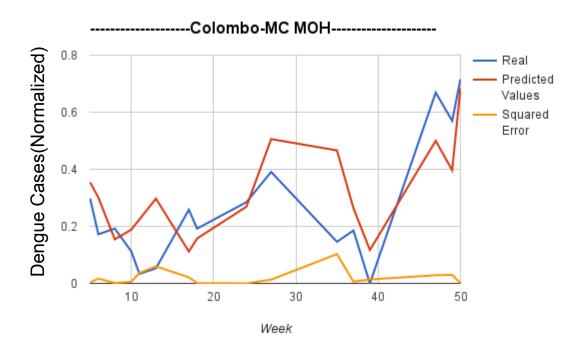
Colombo-MC-MOH





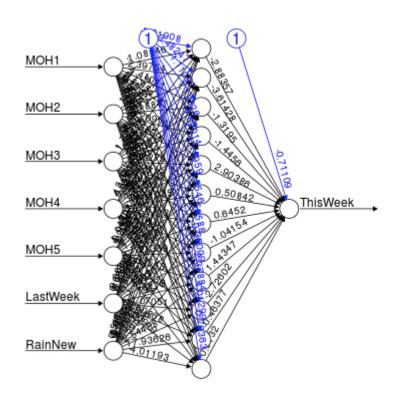
Colombo-MC-MOH

RMS Error 20.68674



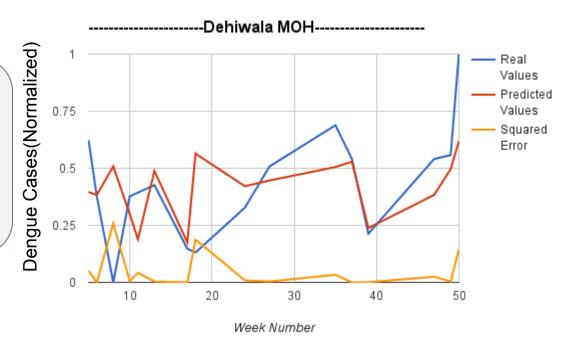
**Dehiwala MOH** 

K=12

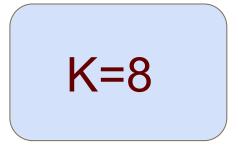


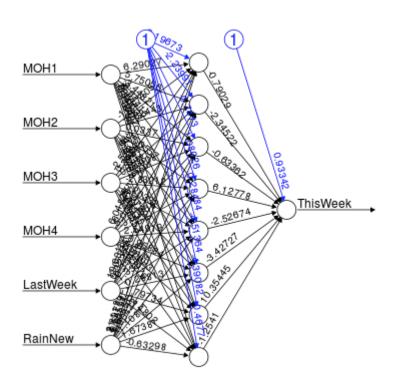
#### **Dehiwala MOH**

RMS Error 12.93261



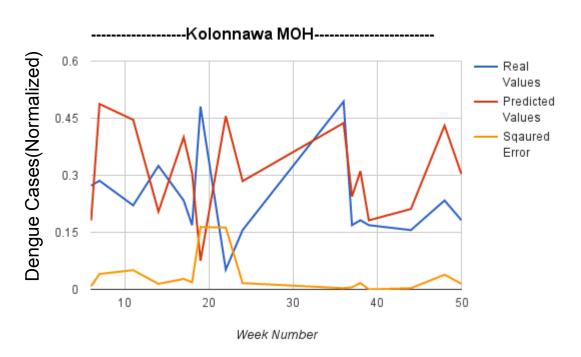
#### Kolonnawa MOH





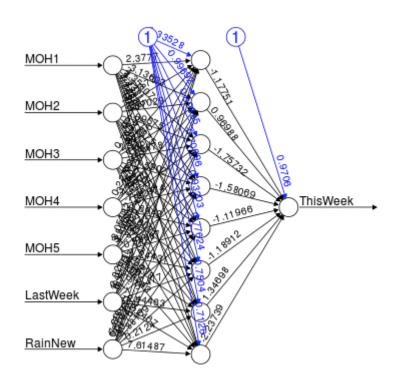
#### Kolonnawa MOH

RMS Error 13.3945



#### Moratuwa MOH

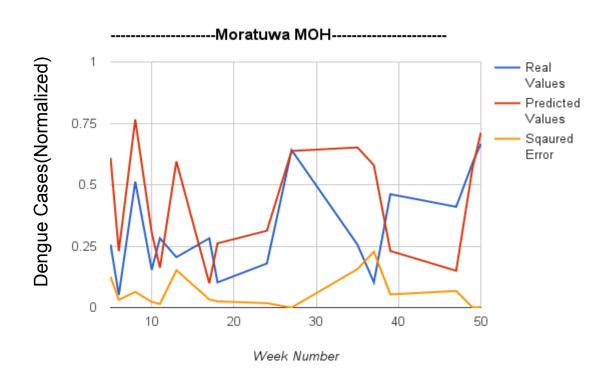




Moratuwa MOH

**RMS Error** 

9.98



**Limitations** 

Accuracy of weather data due to lack of weather stations

Lack of data points(52 per ANN)

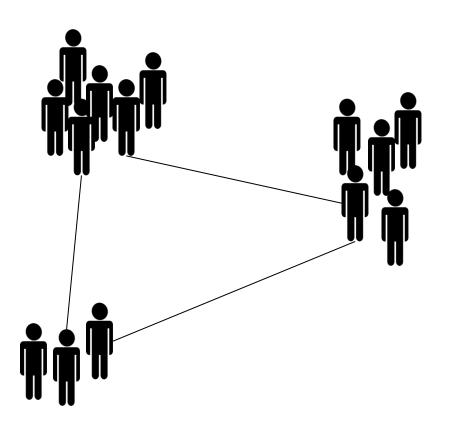
**Future Improvements** 

Train a model for the entire country

#### Metapopulation.

Group of populations that are separated by space but consist of the same species.

These spatially separated populations interact as individual members move from one population to another.



#### **Metapopulation Model**

Used to describe internal dynamics of a population

The concept of metapopulation model was introduced by Richard Levins (an American ecologist) in 1969. [Ref]

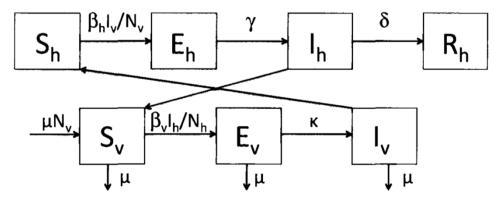
The Levins model

$$dp/dt = mp(1 - p) - ep$$

#### **Dengue Dynamics**

Seven class vector host model

Introduced by Carlos Alan Tor



$$\dot{S}_{v} = \mu N_{v} - \beta_{v} S_{v} \frac{I_{h}}{N_{h}} - \mu S_{v}$$

$$\dot{E}_{v} = \beta_{v} S_{v} \frac{I_{h}}{N_{h}} - \mu_{v} E_{v} - \kappa E_{v}$$

$$\dot{I}_{v} = \kappa E_{v} - \mu_{v} I_{v}$$

$$\dot{S}_{h} = -\beta_{h} S_{h} \frac{I_{v}}{N_{v}}$$

$$\dot{E}_{h} = \beta_{h} S_{h} \frac{I_{v}}{N_{v}} - \gamma E_{h}$$

$$\dot{I}_{h} = \gamma E_{h} - \delta I_{h}$$

$$\dot{R}_{h} = \delta I_{h}.$$

#### The Basic Model

- Basic model for a single population without the effect of stochastic migration.
- Calculate the rate of change for each types of vectors/hosts.
- Dimensions of each class is either hosts/day or vectors/day

#### **Model With Stochastic Migration**

Basic model with two patches

#### Consider only the host migration

$$\dot{S}_{\nu 1} = \mu N_{\nu 1} - \beta_{\nu 1} (P_{11} \frac{I_{h1}}{N_{h1}} + P_{21} \frac{I_{h2}}{N_{h2}}) S_{\nu 1} - \mu S_{\nu 1} 
\dot{E}_{\nu 1} = \beta_{\nu 1} (P_{11} \frac{I_{h1}}{N_{h1}} + P_{21} \frac{I_{h2}}{N_{h2}}) S_{\nu 1} - \mu E_{\nu 1} - \kappa E_{\nu 1} 
\dot{I}_{\nu 1} = \kappa E_{\nu 1} - \mu I_{\nu 1} 
\dot{S}_{h1} = -\beta_{h1} P_{11} S_{h1} \frac{I_{\nu 1}}{N_{\nu 1}} 
\dot{E}_{h1} = \beta_{h1} P_{11} S_{h1} \frac{I_{\nu 1}}{N_{\nu 1}} - \gamma E_{h1} 
\dot{I}_{h1} = \gamma E_{h1} - \delta I_{h1} 
\dot{R}_{h1} = \delta I_{h1}$$

$$\dot{S}_{v2} = \mu N_{v2} - \beta_{v2} (P_{12} \frac{I_{h1}}{N_{h1}} + P_{22} \frac{I_{h2}}{N_{h2}}) S_{v2} - \mu S_{v2} 
\dot{E}_{v2} = \beta_{v2} (P_{12} \frac{I_{h1}}{N_{h1}} + P_{22} \frac{I_{h2}}{N_{h2}}) S_{v2} - \mu E_{v2} - \kappa E_{v2} 
\dot{I}_{v2} = \kappa E_{v2} - \mu I_{v2} 
\dot{S}_{h2} = -\beta_{h2} P_{22} S_{h2} \frac{I_{v2}}{N_{v2}} 
\dot{E}_{h2} = \beta_{h2} P_{22} S_{h2} \frac{I_{v2}}{N_{v2}} - \gamma E_{h2} 
\dot{I}_{h2} = \gamma E_{h2} - \delta I_{h2} 
\dot{R}_{h2} = \delta I_{h2}$$

#### **Dengue Mobility**

Probability of an infected person from patch "i" visiting patch "j"

$$\sum_{i=1}^{n} P_{ij} \frac{I_{hi}}{N_{hi}}$$

P<sub>ii</sub> - Probability of a person from patch "i" visiting patch "j"

Past researches derived P<sub>ii</sub> using the gravity model

In our study, 
$$P_{ij} = \theta \frac{n_i^\alpha n_j^\beta}{d_{ij}^\gamma}, \qquad \text{MNDB} \qquad P_{ij} = \frac{m_{ij}}{N_{hi}}$$

- $\lambda$  Host per capita infection rate (1/5.5 Days)
- $\delta$  Host per capita recovery rate (1/4 Days)
- $\mu_{v}$  Vector per capita birth/death rate (1/10.5 Days)
- k Vector per capita infection rate (1/5.5 Days)
- $\mu_h$  Host per capita birth/death rate (1/(3\*10<sup>4</sup>)Days)

#### Mosquito Population - N<sub>vi</sub>

In past researches it is assumed to be 3 times the host population.[3][4]

No credible source of information in Sri Lanka.

Can vary from one MOH area to another.

Solution is to introduce a scaling factor " $\theta$ "

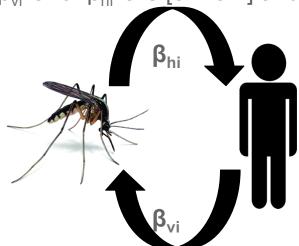
 $\theta$  = Number of vectors per host

So that,  $N_{vi} = \theta N_{hi}$ 

Transmission Rates -  $\beta_{vi}$  And  $\beta_{hi}$ 

Calculate best transmission rates per MOH area that fits for our data

In Peru the ranges for  $\beta_{vi}$  and  $\beta_{hi}$  are [0.2-0.4] and [0.25-0.45]. [3]



#### Improvements to the model

Introduced θ

P<sub>ii</sub> derived using MNBD

Removed the effect of  $\mu_{hi}$  when calculating initial susceptible population

$$\dot{S}_{vi} = \mu_{vi} N_{vi} - \beta_{vi} \left( \sum_{i=1}^{n} P_{ij} \frac{I_{hi}}{N_{hi}} \right) S_{vi} - \mu_{vi} S_{vi}$$

$$\dot{E}_{vi} = \beta_{vi} \left( \sum_{i=1}^{n} P_{ij} \frac{I_{hi}}{N_{hi}} \right) S_{vi} - \mu_{vi} E_{vi} - \kappa E_{vi}$$

$$\dot{I}_{vi} = \kappa E_{vi} - \mu_{vi} I_{vi}$$

$$\dot{S}_{hi} = N_{hi} - eta_{hi} P_{ii} rac{I_{vi}}{N_{vi}} S_{hi} - \mu_{hi} S_{hi}$$

$$\dot{E}_{hi} = eta_{hi} P_{ii} rac{I_{vi}}{N_{vi}} S_{hi} - \lambda E_{hi} - \mu_{hi} E_{hi}$$

$$\dot{I}_{hi} = \lambda E_{hi} - \delta I_{hi} - \mu_{hi} I_{hi}$$

#### The Challenge

How to calculate  $\theta$ ,  $\beta_{vi}$  and  $\beta_{hi}$  For each MOH area?

Model  $I_{hi}$  values for each combination of  $\theta$  ,  $\beta_{vi}$  and  $~\beta_{hi}$ 

Calculate the root mean squared error (RMSE) of modeled values against actual I<sub>hi</sub> (past dengue cases) values.

Pick the combination that has the minimum RMSE value

$$RMSE = \sqrt{\frac{\sum (I_{actual} - I_{model})^2}{n}}$$

Can be identified as an optimization problem

#### Calculating minimum RMSE value

Brute Force approach

θ from 5 to 100 with a resolution of 5

 $\beta_{vi}$  and  $\beta_{hi}$  from 0 to 1 with a resolution of 0.01

Operations per MOH area 19\*100\*100\*37\*7 = 48.1Mn

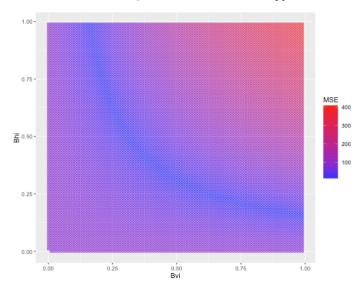
Takes around 140 seconds per MOH area

12 hours to calculate for the whole country

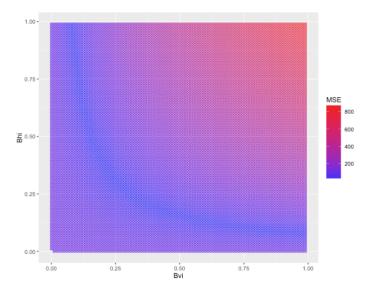
Simulated annealing

Genetic Algorithm

#### RMSE density plots for $\beta_{vi}$ and $\beta_{hi}$ combinations

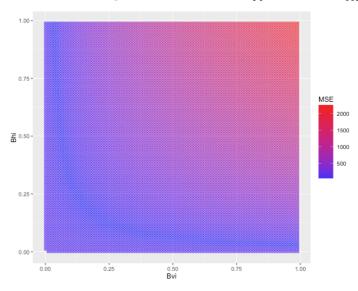


MC- Colombo  $\theta = 10$ 

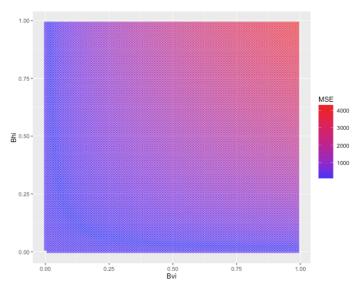


MC- Colombo  $\theta = 20$ 

#### MSE density plots for $\beta_{vi}$ and $\beta_{hi}$ combinations



MC- Colombo  $\theta = 50$ 



MC- Colombo  $\theta = 100$ 

#### Fitted $\beta_{vi}$ and $\beta_{hi}$ and $\theta$ values

МОН	Bvi	Bhi	RMSE	Theta	Weekly average cases
MC - Colombo	0.14	0.56	8.935	20	75
Dehiwala	0.12	0.97	6.2741	60	28
Kollonnawa	0.52	0.9	10.8857	20	24
Kaduwela	0.68	0.94	4.9048	85	19
Moratuwa	0.73	0.68	3.6663	35	15
Panadura	0.27	0.81	4.7938	55	14

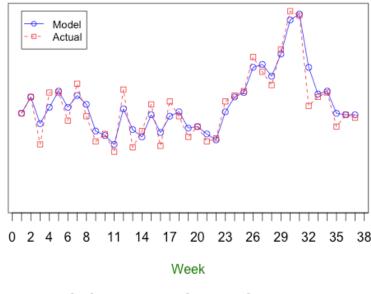
Above MOH areas has the highest averages of weekly reported dengue cases

Fitted  $\beta_{vi}$  and  $\beta_{hi}$  and  $\theta$  values

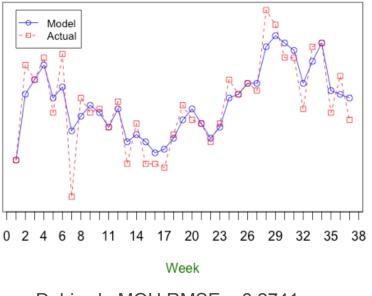
Calculated values for MOH areas which has low weekly average cases

МОН	Bvi	Bhi	RMSE	Theta	Weekly average cases
Rajanganay	0	0	1.1094	10	3
Deraniyagala	0	0	1.0190	10	3
Beliatta	0	0	0.8320	10	2
Hasalaka	0	0	0.8660	10	2
Dambulla	0	0	0.8879	10	2

#### Model fit for 2013 first 37 weeks

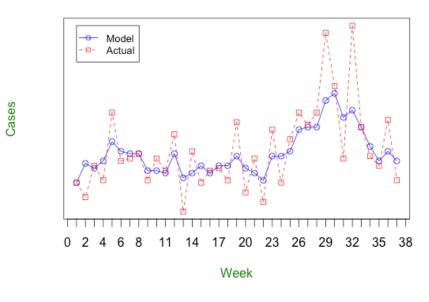


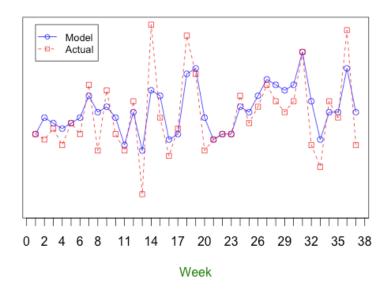
MC-Colombo MOH RMSE=11.3544



Dehiwala MOH RMSE = 6.2741

#### Model fit for 2013 first 37 weeks





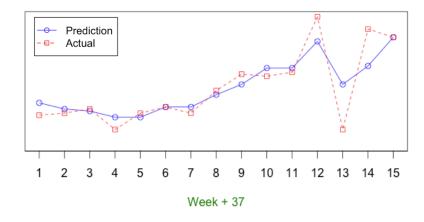
Kolonnawa MOH RMSE = 10.8857

Kaduwela MOH RMSE=4.9048

#### 2013 predictions for weeks 38-52

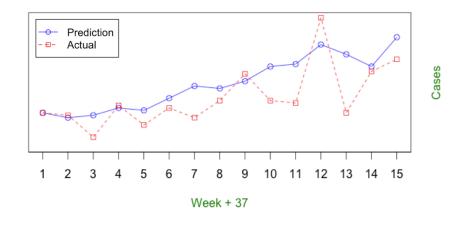


MC-Colombo MOH, RMSE = 6.0906

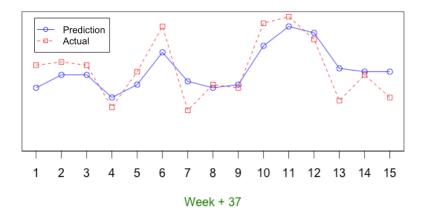


Dehiwala MOH, RMSE = 4.5804

#### 2013 predictions for weeks 38-52



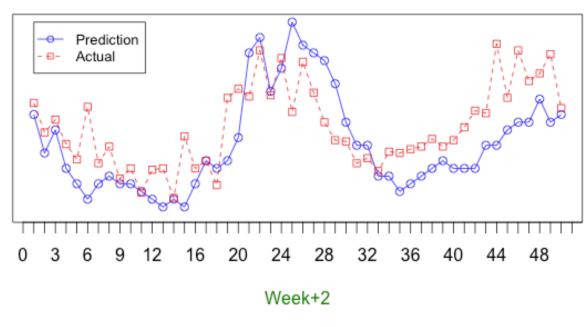
Kolonnawa MOH, RMSE = 5.4982



Kaduwela MOH, RMSE = 3.0159

#### 2014 predictions

Cases



MC-Colombo, RMSE = 30.8557

#### **Problems and challenges Faced**

Lack of knowledge in epidemiology domain

No credible source for disease related data (rates/parameters etc.) in Sri Lanka

Not many researches to compare the results with

#### Potential Enhancements/Future work

Predict based on predictions

Make  $\theta$  a temperature-based parameter

Fully automated learning and prediction system

Visualization of the predictions

### **Conclusion**

Metapopula\*\*-- ------ ^ NINI ---- I IN / N / ----- dela

MOH area	Metapopulation Model	ANN	HMM
MC-Colombo	6.0906	20.6867	-
Dehiwala	4.5804	12.9326	19.5959
Kolonnawa	5.4982	13.3945	12.0
Kaduwela	3.0159	9.98	11.313

RMSE values of predictions

There is a significant effect on human travel on dengue propagation

Dengue disease dynamics can be explained using metapopulation model

# **Thank You!**

# Q & A

### **References:**

- [1] National Dengue Control Unit, Sri Lanka. <a href="http://www.dengue.health.gov.lk/">http://www.dengue.health.gov.lk/</a>. Accessed: 2015-09-07.
- [2] What is Dengue and how is it treated? <a href="http://www.who.int/features/qa/54/en/">http://www.who.int/features/qa/54/en/</a>. Accessed: 2015-09-10.
- [3] Chen, Feng-Wen, and Chen-Wuing Liu. "Estimation of the spatial rainfall distribution using inverse distance weighting (IDW) in the middle of Taiwan." *Paddy and Water Environment* 10.3 (2012): 209-222.
- [4] Torre, Carlos Alan. *Deterministic and stochastic metapopulation models for dengue fever*. Arizona State University, 2009.

### References

[5] - Sarzynska, Marta, Oyita Udiani, and Na Zhang. "A study of gravity-linked metapopulation models for the spatial spread of dengue fever." *arXiv preprint arXiv:1308.4589* (2013).